## Exercises on factorization into $A=L U$

Problem 4.1: What matrix $E$ puts $A$ into triangular form $E A=U$ ? Multiply by $E^{-1}=L$ to factor $A$ into $L U$.

$$
A=\left[\begin{array}{lll}
1 & 3 & 0 \\
2 & 4 & 0 \\
2 & 0 & 1
\end{array}\right]
$$

Problem 4.2: (2.6 \#13. Introduction to Linear Algebra: Strang) Compute $L$ and $U$ for the symmetric matrix

$$
\mathbf{A}=\left[\begin{array}{llll}
a & a & a & a \\
a & b & b & b \\
a & b & c & c \\
a & b & c & d
\end{array}\right]
$$

Find four conditions on $a, b, c, d$ to get $A=L U$ with four pivots.

